Thursday Learning Hour

# **Reinforcement Learning**

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#### Agenda:

- An overview on Machine learning paradigm
- Conventional Machine learning vs Reinforcement learning
- Key Concepts of Reinforcement learning
- Foundation of RL Markov Family
- Components of RL
- Applications across domains

#### Machine learning: Conventional ML vs Reinforcement Learning



### Machine learning : Supervised and Unsupervised



#### What happens in these Scenarios ?:













Consider a Person and his Journey in Data & Al Domain



Person has a set of skills to learn – Based on his Behavior the person selects the skill or saturation



Based on the skill / position the person stays , Industry gives him/her a Reward





#### To become successful in the industry, the person change his behavior - By learning and understanding

Here, I denote

- Person  $\rightarrow$  Agent
- Each skill / position  $\rightarrow$  State
- Data & AI industry  $\rightarrow$  Environment
- Probability  $\rightarrow$  Transition Probability
- Promotion , Failure  $\rightarrow$  Reward
- Scope of Each position  $\rightarrow$  value of the state
- Skill / Position transition behavior of the person → Policy
- What we need is optimal behavior / optimal policy to have more success in the environment



- How did I structure this process to capture these interactions ?
  - Markov Family Helped me (Lets dive into small math part)
- By selecting correct decisions / actions in each state , the person can build his optimal policy ( optimal behavior) which can give him a great success
- This Selection cannot be achieved directly , its by error and trail (Learning) ---→ Reinforcement learning

#### Markov Family of Processes builds the RL environment





Space

Markov is nothing but Future state is depending on current state , not the History

State Space

Markov Property makes each state as memoryless

## Markov Property $\rightarrow$ Markov Process $\rightarrow$ Markov Reward Process $\rightarrow$ Markov Decision Process:





	A	В	C	D	E	F	G	H	Ι
А	0.2	0.1		0.7					
В	0.5	0.4	0.1						
С		0.4	0.2			0.4			
D	0.1			0.2	0.6		0.1		
Е		0.1		0.3	0.2	0.3		0.1	
F			0.1		0.1	0.1			0.6
G					0.6		0.2	0.2	
Н					0.1		0.1	0.1	0.7
Ι									

Possible State change (process / Chain)

Out of 81 transition probabilities , only 29 are Possible in this state space.

#### Markov Reward Process:



	А	В	С	D	E	F	G	н	I
Α	0.2	0.1		0.7					
В	0.5	0.4	0.1						
С		0.4	0.2			0.4			
D	0.1			0.2	0.6		0.1		
Е		0.1		0.3	0.2	0.3		0.1	
F			0.1		0.1	0.1			0.6
G					0.6		0.2	0.2	
н					0.1		0.1	0.1	0.7
Ι									



Possible State change<br/>(process / Chain)Each Transition will have its own reward point , Reward point can<br/>be positive or negative depends on their properties.<br/>Each State can have a value , which is expected return by being in<br/>the state.Discount factor<br/>– to avoid<br/>infinity and<br/>significant to<br/>Current State.Expected Return = Reward at the current state + d(Expected Return<br/>of Previous state)Current State



- At A ( B , Right ) and A( D, down) are the possible actions
- JD can select any one of the action (Decision he has to take)



Possible Decisions by selecting the Actions at each state.

A B C D E F G M H M

This is what we Jeffery need to follow to have more reward.

He can take any Decision from the available action space, but there can be a negative reward too. This selection of action depends on Jeffery's Behavior (Policy) How can he learn this ??

By solving this MDP Enviornment







### To reach the optimal policy : Strategy Making

Let's Define Policy :

- $\pi$ ;  $s \rightarrow Pr(A/s)$ , where  $s \in S$
- In simple word for each  $s \rightarrow a$ ;  $A \rightarrow down$ ,  $B \rightarrow left$ ,  $D \rightarrow right$
- $\pi$  is the policy here.
- It's a mapping from states to the (probabilistically) best
- actions for those states.

Optimal policy :  $\pi * = \arg \max E(R/\pi)$ , the policy which gives more return

#### 1. How Can we evaluate the Policies ? And select the Optimal one ?





#### Two Major Functions are used to Evaluate the Policies :



$$V^{\pi}(s) = E_{\pi}\{R_t | s_t = s\} = E_{\pi}\!\left\{\sum_{k=0}^{\infty} \gamma^k r_{t+k+1} \mid s_t = s\right\},\$$

$$Q^{\pi}(s,a) = E_{\pi}\{R_t | s_t = s, a_t = a\} = E_{\pi} \left\{ \sum_{k=0}^{\infty} \gamma^k r_{t+k+1} \mid s_t = s, a_t = a \right\}.$$

#### Road map to RL algorithms: (Classical RLs)



#### Applications:



#### Questions:

# Appendix:

#### Deep RL and Other algorithms:



### Classical RL process:



1. The value function denoted as v(s) under a policy  $\pi$  represents how good a state is for an agent to be in.

1. Evaluates the State and Action Pair → How good is to take a particular action in a state







#### Markov Property $\rightarrow$ Markov Process $\rightarrow$ Markov Reward Process $\rightarrow$ Markov Decision Process:





